

Study questions on forecasting

1.

A company produces 2 different pump models. Relevant data on a bottleneck operation in the plant for the upcoming year are given in the table below.

Pump model	Model A	Model B
Demand forecast	45,000 pumps/year	6,000 pumps/year
Lot size	30 units	35 units
Standard processing time	0.2 hour/unit	2.0 hour/unit
Standard setup time	3.0 hours/lot	4.0 hours/lot

The shop works 200 days per year, 2 shifts per day, eight hours per shift, and a 25% capacity cushion is desired. How many machines are needed to meet the upcoming year's demand without resorting to any short-term capacity solutions?

Use the following equation:

$$M = \frac{\{[DP + (D/Q)S]_{product\ 1} + \dots + [DP + (\frac{D}{Q})S]_{product\ n}\}}{N[1 - (C/100)]}$$

Where:

- M = number of machines required
- D = number of units forecasted per year
- P = processing time
- N = number of hours per year during which the process operates
- Q = Number of units in each lot
- C = desired capacity cushion
- S = setup time per lot

2.

Give three examples of strategies or processes that the capacity decisions should be closely linked with, and motivate why.

3.

A test rig is able to test engines at an average rate of 8 engines per hour according to a negative exponential distribution. Ready assembled engines arrive at an average rate of 6 per hour, following a Poisson distribution. They are served according to FIFO.

- a) Find the following performance measures for this system:
 - a. The expected number of engines in the system.
 - b. The expected number of engines waiting for service
 - c. The expected time in the system
 - d. The expected time in the queue
- b) Calculate the probability of zero engines in the system.
- c) Calculate the probability of more than 0, 1, 2, 3, 4, 5, 6, and 7 engines in the system.

Other excersises can be found in the old exams:

2011-06-09: Q3, Q4, Q12

2011-08-16: Q1, Q10

2012-01-12: Q2, Q4, Q10